

# How to handle different types of experiment designs

The general framework for statistical tests in Qlucore Omics Explorer is flexible enough to handle many experiment designs. In this document we will cover the following examples:

- **Paired data:** Each subject has received two different treatments.
- **Multiple treatments**: Several subjects that each has received several treatments.
- **Multiple treatments with before and after measurements:** Several subjects have received a number of different treatments. For each subject and each treatment there is a sample taken before the treatment and a sample taken after the treatment.

The more extensive document "How to use ANOVA in Qlucore" covers all the above examples as well as additional models.

The built-in statistical methods handle all examples discussed above. It is also possible to enable the Extended statistics functionality using the Open API to R. See the Documentation and Help Manager for more information.

Note that the examples below is constructed using a random data set and hence the q-value is always high.

## TERMINOLOGY

We use samples to denote units such as patients, persons, study participants, animals, plants, cells,...

We use variables to denote quantities that have been measured for each sample, such as gene expression levels, miRNA expression levels, protein concentrations, antibody concentrations, methylation levels, answers to questions in a questionnaire, ...

Normally a data set is described by a matrix where the columns represent samples and the rows represent variables.

#### **EXAMPLE 1: PAIRED DATA**

A common experiment design is paired data, where each subject has received two different treatments. Thus, there are two samples from each subject.

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For paired data one should not do an ordinary Two Group Comparison of the two treatments, because differences between the subjects may obscure the difference between the two treatments. Instead one should do a *paired test*.

Statistics		×		
Variance	Statistics			
Input: Active vars 50/50				
Mode: Standard statistics				
Filter by Paired Two Group (t-test)				
Treatment	Treatment (pair) ~			
Comp	und 🖂 vs	Placebo		
Pairs PatientID ~				
Eliminated factors + 🔟				
p = 1	<b></b>	q = 1		
<b> </b> t <sub>11</sub>   ≥ 0		R  ≥ 0		
Filter by	F	old Change 🛛 🗸		
	1	•		

Figure 1

## How to analyze paired data

- Identify the relevant sample annotations. There should be one sample annotation that defines the subjects and one that defines the two treatments. Sometimes you may have to edit the sample annotations to get them in this form. There may for instance be a single sample annotation that defines both subject and treatment.
- Select Paired Two Group Comparison.
- Select the annotation that defines the two conditions. In this example "Treatment (pair)".
- Select one of the two conditions. In this example "Compound"
- Select the annotation defining the pairs. In this example "PatientID"
- Select a significance level or q-value (False Discovery Rate).
- Potentially also select the required Fold Change.

## **EXAMPLE 2: SEVERAL SUBJECTS THAT EACH HAS RECEIVED SEVERAL TREATMENTS**

A number of subjects have received a number of different treatments. There is one sample for each subject and each treatment. We want to find variables that are associated with the treatment factor.



To do this, we use Eliminated factors and select *Multi Group Comparison* instead.

Statistics				
Variance	Statistics	Extended		
Input: Variables after variance filtering 2/2 vars				
Filter by Multi Group Comparison 👻				
Treatment (F) 🔹				
Eliminated factors - +				
sID		▼ Nominal ▼		
-0				
p = 0.35		q = 0.51464 🚔		
F <sub>1,3</sub> ≥ 1.22		R <sup>2</sup> ≥ 0.28909		
Filter by	Fold Cha	ange 🔻		
		A V		

In the example above is the relevant sample annotation "Treatment(F) and the annotation that identifies the subject "sID".

# EXAMPLE 3: SEVERAL SUBJECTS BEFORE AND AFTER EACH OF SEVERAL TREATMENT LEVELS

A number of subjects have received a number of different treatments. For each subject and each treatment there is a sample taken before the treatment and a sample taken after the treatment.

Say that there are a number of subjects and 3 treatments, and that the information is provided by three sample annotations as follows:

- Subject with values: A, B, C, ...,
- Treatment with values: X, Y, Z.
- *Type* with values: *0* (=before) and *1* (= after).

We can then form interaction annotations, such as

- Subject x Treatment with values: AX, AY, AZ, BX, BY, BZ, ...,
- Subject x Type with values: A0, A1, B0, B1, C0, ... ,
- Treatment x Type with values: X0, X1, Y0, Y1, Z0, Z1

The data is paired and the pairs are defined by the *Subject x Treatment* annotation. Each pair contains one sample of *Type 0* and one sample of *Type 1*.

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## 3.1. Find variables that respond to treatment X

To answer this question, we let the treatment X samples be the active samples and exclude the other two treatments. Thus, we include both X0 (= before X) and X1 (= after X). Then the pairs are defined by the *Subject* annotation. We can now proceed exactly as in Example 2:

		Statistics		×
		Variance	Statistics	
		Input: Activ	e vars	10000/10000
Samples	₽×	Mode: Sta	ndard statist	ics ~
Annotations	۲۵	Filter by	/ulti Group (	(ANOVA) ~
Treatment	_	Туре		~
readient	•	Restriction	+	
	$\bigcirc$	Eliminated	factors +	<u>ش</u>
X	17/17	Multi Grou	ip 🖂	Subject ~
Y	0/32	-		
Z	0/26	p = 0.32	<b>•</b>	q = 0.995 🜩
		F <sub>1,11</sub> ≥ 1.084	47	$R^2 \ge 0.089758$
		Filter by		Fold Change

In this case one could also do a Two Group Comparison.

## 3.2. Find variables that respond to any of the three treatments

We are now using all samples. Then the pairs are defined by the *Subject x Treatment* annotation. Each pairs consists of one sample of *Type 0* (=before) and *1* (= after). We are interested in effects given by the *Treatment x Type* annotation. Thus we use the following settings:



	Statistics ×
	Variance Statistics
	Input: Active vars 10000/10000
Samples 🗗 🗙	Mode: Standard statistics
Annotations	Filter by Multi Group (ANOVA)
Treatment 🔹	Treatment x Type ~
	Restriction +
	Eliminated factors + 🛄
X 17/17	Multi Group ~ Subject ~
V 32/32	-
Z 26/26	p = 0.32 • q = 0.99095 •
	$F_{3,62} \ge 1.1925$ $R^2 \ge 0.054555$
	Filter by Fold Change V
	÷

### 3.3. Find variables that do not respond the same way to all three treatments

This is similar to 3.2, but now we want to exclude variables that respond the same way to all three treatments. If a variable responds the same way to all three treatments, that response then can be modelled by the annotation *Type*. Thus we proceed as in 3.2 but we exclude the annotation *Type* as well:

Statistics		×		
Variance	Statistics			
Input: Activ	/e vars	10000/10000		
Mode: Standard statistics				
Filter by Multi Group (ANOVA)				
Treatment	х Туре	~		
Restriction +				
Eliminated factors + 🛄				
Multi Gro	up 🗠	Subject 🗸 🔟		
Multi Gro	up ~	Treatm ~		
p = 0.32	<b>•</b>	q = 0.99264 🗬		
F <sub>3,60</sub> ≥ 1.19	33	$R^2 \ge 0.056307$		
Filter by		Fold Change ~		
-		▲ ▼		

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